

Problem F Cycling

Time Limit: 1 second

Bibi discovered a beautiful terrain suitable for exploring and practicing cycling during k holidays. The terrain has n sightseeing spots numbered from 1 to n . The sightseeing spots are connected by m one-way streets of length 1, 2, or 3.

Each day of the k holidays, Bibi wants to practice on a different route. To increase the challenge, Bibi sets the goal for each new day: the route today should not be shorter than the route of the day before. Each sightseeing spot and street can be included in a route multiple times as long as the route is valid, i.e. there exists a street in the correct direction between any two consecutive spots in the route. Two routes with different orderings of spots and streets are considered different.

Your task is to find k routes for the k holidays satisfying the conditions above such that the length of the route on the last day (k -th day) is minimized.



Input

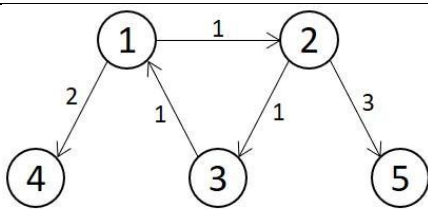
The first line contains three integers n, m, k ($1 \leq n \leq 40, 1 \leq m \leq 10^3, 1 \leq k \leq 10^{18}$). Each line of the next m lines contains three integers u, v, c ($1 \leq u, v \leq n; u \neq v; 1 \leq c \leq 3$) describing a one-way street of length c from u to v . There can be multiple streets connecting two sightseeing spots.

Output

Print the length of the shortest route on the k -th day. If it is impossible to have k different routes from the given terrain, print -1.

Sample Input

```
5 5 17
1 2 1
1 4 2
2 3 1
2 5 3
3 1 1
```



Sample Output

```
4
```

Explanation: These are the first 17 routes ordered by length:

- 3 different routes of length 1: $1 \rightarrow 2; 2 \rightarrow 3; 3 \rightarrow 1$
- 4 different routes of length 2: $1 \rightarrow 4; 1 \rightarrow 2 \rightarrow 3; 2 \rightarrow 3 \rightarrow 1; 3 \rightarrow 1 \rightarrow 2$
- 5 different routes of length 3: $2 \rightarrow 5; 3 \rightarrow 1 \rightarrow 4; 1 \rightarrow 2 \rightarrow 3 \rightarrow 1; 2 \rightarrow 3 \rightarrow 1 \rightarrow 2; 3 \rightarrow 1 \rightarrow 2 \rightarrow 3$
- 5 different routes of length 4:
 $1 \rightarrow 2 \rightarrow 5; 2 \rightarrow 3 \rightarrow 1 \rightarrow 4; 1 \rightarrow 2 \rightarrow 3 \rightarrow 1 \rightarrow 2; 2 \rightarrow 3 \rightarrow 1 \rightarrow 2 \rightarrow 3; 3 \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 1$